



## **K6D Multicomponent Sensor**

Instruction manual

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## Function of the K6D Multicomponent Sensors

The set of K6D Multicomponent Sensors comprises six independent force sensors equipped with strain gauges.

Using the six sensor signals, a calculation rule is applied to calculate the forces within three spatial axes and the three moments around them.

The measurement range of the multicomponent sensor is determined:

- by the measurement ranges of the six independent force sensors, and
- by the geometrical arrangement of the six force sensors or via the diameter of the sensor.

The individual signals from the six force sensors cannot be directly associated with a specific force or moment by multiplying with a scaling factor.

The calculation rule can be precisely described in mathematical terms by the cross product from the calibration matrix with the vector of the six sensor signals.

This functional approach has the following advantages:

- Particularly high rigidity,
- Particularly effective separation of the six components (“low cross-talk”).

### Calibration matrix

The calibration matrix **A** describes the connection between the indicated output signals **U** of the measurement amplifier on channels 1 to 6 (u1, u2, u3, u4, u5, u6) and components 1 to 6 (Fx, Fy, Fz, Mx, My, Mz) of the load vector **L**.

Measured value: output signals u1, u2, ...u6 on channels 1 to 6	output signal <b>U</b>
Calculated value: forces Fx, Fy, Fz; moments Mx, My, Mz	Load vector <b>L</b>
Calculation rule: Cross product	<b>L = A x U</b>

The calibration matrix  $A_{ij}$  includes 36 elements, arranged in 6 rows (i=1..6) and 6 columns (j=1..6).

The unit of the matrix elements is N/(mV/V) in rows 1 to 3 of the matrix.

The unit of the matrix elements is Nm/(mV/V) in rows 4 to 6 of the matrix.

The calibration matrix depends on the properties of the sensor and that of the measurement amplifier.

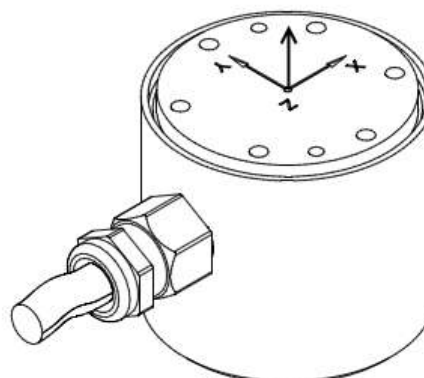
It applies for the GSV-8 measurement amplifier and for all amplifiers, which indicate bridge output signals in mV/V.

The matrix elements may be rescaled in other units by a common factor via multiplication (using a “scalar product”).

The calibration matrix calculates the moments around the origin of the underlying coordinate system.

The origin of the coordinate system is located at the point where the z-axis intersects with the facing surface of the sensor. 1) The origin and orientations of the axes are shown by an engraving on the facing surface of the sensor.

1) The position of the origin may vary with different K6D sensor types. The origin is documented in the calibration sheet. E.G the origin of K6D68 is in the center of the sensor.



### Example of a calibration matrix (K6D, F6D)

	u1 in mV/V	u2 in mV/V	u3 in mV/V	u4 in mV/V	u5 in mV/V	u6 in mV/V
Fx in N / mV/V	-217.2	108.9	99.9	-217.8	109.2	103.3
Fy in N / mV/V	-2.0	183.5	-186.3	-3.0	185.5	-190.7
Fz in N / mV/V	-321.0	-320.0	-317.3	-321.1	-324.4	-323.9
Mx in Nm / mV/V	7.8	3.7	-3.8	-7.8	-4.1	4.1
My in Nm / mV/V	-0.4	6.6	6.6	-0.4	-7.0	-7.0
Mz in Nm / mV/V	-5.2	5.1	-5.1	5.1	-5.0	5.1

The force in the x-direction is calculated by multiplying and totalling up the matrix elements of the first row a<sub>1j</sub> with the rows of the vector of the output signals u<sub>j</sub>.

$$F_x = -217.2 \text{ N/(mV/V)} \cdot u_1 + 108.9 \text{ N/(mV/V)} \cdot u_2 + 99.9 \text{ N/(mV/V)} \cdot u_3 - 217.8 \text{ N/(mV/V)} \cdot u_4 + 109.2 \text{ N/(mV/V)} \cdot u_5 + 103.3 \text{ N/(mV/V)} \cdot u_6$$

For example: on all 6 measurement channels is u<sub>1</sub> = u<sub>2</sub> = u<sub>3</sub> = u<sub>4</sub> = u<sub>5</sub> = u<sub>6</sub> = 1.00mV/V displayed. Then there is a force F<sub>x</sub> of -13.7 N.

The force in the z direction is calculated accordingly by multiplying and summing the third row of the matrix a<sub>3j</sub> with the vector of the indicated voltages u<sub>j</sub>:

$$F_z = -321.0 \text{ N/(mV/V)} \cdot u_1 - 320.0 \text{ N/(mV/V)} \cdot u_2 - 317.3 \text{ N/(mV/V)} \cdot u_3 - 321.1 \text{ N/(mV/V)} \cdot u_4 - 324.4 \text{ N/(mV/V)} \cdot u_5 - 323.9 \text{ N/(mV/V)} \cdot u_6$$



## Matrix Plus for K6D / F6D sensors

When using the "Matrix Plus" calibration procedure, two cross products are calculated:  
matrix  $A \times U + \text{matrix } B \times U^*$

Measured values: output signals $u_1, u_2, \dots u_6$ at channels 1 to 6	output signals $\underline{U}$
Measured values are output signals as mixed products: $u_1u_2, u_1u_3, u_1u_4, u_1u_5, u_1u_6, u_2u_3$ of channels 1 to 6	output signals $\underline{U}^*$
Calculated value: Forces $F_x, F_y, F_z$ ; Moments $M_x, M_y, M_z$	Load vector $\underline{L}$ .
Calculation rule: Cross product	$\underline{L} = \underline{A} \times \underline{U} + \underline{B} \times \underline{U}^*$

Example: [example-calculation-16101424-k6d68.pdf](#)

### Example of a calibration matrix "B"

	$u_1 \cdot u_2$ in (mV/V) <sup>2</sup>	$u_1 \cdot u_3$ in (mV/V) <sup>2</sup>	$u_1 \cdot u_4$ in (mV/V) <sup>2</sup>	$u_1 \cdot u_5$ in (mV/V) <sup>2</sup>	$u_1 \cdot u_6$ in (mV/V) <sup>2</sup>	$u_2 \cdot u_3$ in (mV/V) <sup>2</sup>
$F_x$ in N / (mV/V) <sup>2</sup>	-0.204	-0.628	0.774	-0.337	-3.520	2.345
$F_y$ in N / (mV/V) <sup>2</sup>	-0.251	1.701	-0.107	-2.133	-1.408	1.298
$F_z$ in N / (mV/V) <sup>2</sup>	5.049	-0.990	1.453	3.924	19.55	-18.25
$M_x$ in Nm / (mV/V) <sup>2</sup>	-0.015	0.082	-0.055	-0.076	0.192	-0.054
$M_y$ in Nm / (mV/V) <sup>2</sup>	0.050	0.016	0.223	0.036	0.023	-0.239
$M_z$ in Nm / (mV/V) <sup>2</sup>	-0.081	-0.101	0.027	-0.097	-0.747	0.616

The force in the x-direction is calculated by multiplying and summing the matrix elements  $A$  of the first row  $a_{1j}$  with the rows of the vector of the output signals  $u_j$  plus template elements  $B$  of the first row  $a_{1j}$  with the rows of the vector of the mixed-square output terminals:

### Example of $F_x$

$$F_x = -217.2 \text{ N/(mV/V)} u_1 + 108.9 \text{ N/(mV/V)} u_2 + 99.9 \text{ N/(mV/V)} u_3 \\ -217.8 \text{ N/(mV/V)} u_4 + 109.2 \text{ N/(mV/V)} u_5 + 103.3 \text{ N/(mV/V)} u_6 \\ -0.204 \text{ N/(mV/V)}^2 u_1u_2 - 0.628 \text{ N/(mV/V)}^2 u_1u_3 + 0.774 \text{ N/(mV/V)}^2 u_1u_4 \\ -0.337 \text{ N/(mV/V)}^2 u_1u_5 - 3.520 \text{ N/(mV/V)}^2 u_1u_6 + 2.345 \text{ N/(mV/V)}^2 u_2u_3$$

### Example of $F_z$

$$F_z = -321.0 \text{ N/(mV/V)} u_1 - 320.0 \text{ N/(mV/V)} u_2 - 317.3 \text{ N/(mV/V)} u_3 \\ -321.1 \text{ N/(mV/V)} u_4 - 324.4 \text{ N/(mV/V)} u_5 - 323.9 \text{ N/(mV/V)} u_6 \\ + 5.049 \text{ N/(mV/V)}^2 u_1u_2 - 0.990 \text{ N/(mV/V)}^2 u_1u_3 + 1.453 \text{ N/(mV/V)}^2 u_1u_4 \\ + 3.924 \text{ N/(mV/V)}^2 u_1u_5 + 19.55 \text{ N/(mV/V)}^2 u_1u_6 - 18.25 \text{ N/(mV/V)}^2 u_2u_3$$

Attention: The composition of the mixed quadratic terms may change depending on the sensor.

## Offset of the origin

Forces which are not applied in the origin of the coordinate system are shown by an indicator in the form of  $M_x$ ,  $M_y$  and  $M_z$  moments based on the lever arm.

Generally speaking, the forces are applied at a distance  $z$  from the facing surface of the sensor. The location of the force transmission may also be shifted in  $x$ - and  $z$ - directions as required.

If the forces are applied at distance  $x$ ,  $y$  or  $z$  from the origin of the coordinate system, and the moments around the offset force transmission location need to be shown, the following corrections are required:

Corrected moments $M_{x1}$ , $M_{y1}$ , $M_{z1}$ following a shift in force transmission ( $x$ , $y$ , $z$ ) from the origin	$M_{x1} = M_x + y \cdot F_z - z \cdot F_y$ $M_{y1} = M_y + z \cdot F_x - x \cdot F_z$ $M_{z1} = M_z + x \cdot F_y - y \cdot F_x$
--	--

**Note: The sensor is also exposed to the moments  $M_x$ ,  $M_y$  and  $M_z$ , with moments  $M_{x1}$ ,  $M_{y1}$  and  $M_{z1}$  displayed. The permissible moments  $M_x$ ,  $M_y$  and  $M_z$  must not be exceeded.**

## Scaling of the calibration matrix

By referring the matrix elements to the unit  $mV/V$ , the calibration matrix can be applied to all available amplifiers.

The calibration matrix with the  $N/V$  and  $Nm/V$  matrix elements applies to the GSV-1A8USB measuring amplifier with an input sensitivity of  $2 \text{ mV} / V$  and an output signal of  $5V$  with a  $2 \text{ mV}/V$  input signal.

Multiplication of all matrix elements by a factor of  $2/5$  scales the matrix from  $N/(mV/V)$  and  $Nm/(mV/V)$  for an output of  $5V$  at an input sensitivity of  $2 \text{ mV}/V$  (GSV-1A8USB).

By multiplying all matrix elements by a factor of  $3.5/10$ , the Matrix is scaled from  $N/(mV/V)$  and  $Nm/(mV/V)$  for an output signal of  $10V$  at an input sensitivity of  $3.5 \text{ mV}/V$  (eg GSV-8DS)

The unit of the factor is  $(mV/V)/V$

The unit of the elements of the load vector ( $u_1$ ,  $u_2$ ,  $u_3$ ,  $u_4$ ,  $u_5$ ,  $u_6$ ) are voltages in  $V$

## Example of $F_x$

Analog output with GSV-8DS, input sensitivity  $3.5 \text{ mV} / V$ , output signal  $10V$ :

$$F_x = 3.5/10 \text{ (mV/V) / V}$$

$$(-217.2 \text{ N/(mV/V)} \ u_1 + 108.9 \text{ N/(mV/V)} \ u_2 + 99.9 \text{ N/(mV/V)} \ u_3$$

$$-217.8 \text{ N/(mV/V)} \ u_4 + 109.2 \text{ N/(mV/V)} \ u_5 + 103.3 \text{ N/(mV/V)} \ u_6$$

$$) +$$

$$(3.5/10)^2 \text{ ( (mV/V) / V )}^2$$

$$(-0.204 \text{ N/(mV/V)}^2 \ u_1 u_2 - 0.628 \text{ N/(mV/V)}^2 \ u_1 u_3 + 0.774 \text{ N/(mV/V)}^2 \ u_1 u_4$$

$$-0.337 \text{ N/(mV/V)}^2 \ u_1 u_5 - 3.520 \text{ N/(mV/V)}^2 \ u_1 u_6 + 2.345 \text{ N/(mV/V)}^2 \ u_2 u_3$$

$$)$$



## Stiffness Matrix

The stiffness matrix is defined by:

$$\underline{f} = \underline{S} * \underline{u}$$

With the load vector  $\underline{f}$ : 
$$\underline{f} = \begin{bmatrix} F_x \\ F_y \\ F_z \\ M_x \\ M_y \\ M_z \end{bmatrix}$$
, the shifts vector  $\underline{u}$ : 
$$\underline{u} = \begin{bmatrix} u_x \\ u_y \\ u_z \\ \varphi_x \\ \varphi_y \\ \varphi_z \end{bmatrix}$$

and with the stiffness matrix  $\underline{S}$ : 
$$\underline{S} = \begin{bmatrix} c_{11} & c_{12} & c_{13} & c_{14} & c_{15} & c_{16} \\ c_{21} & c_{22} & c_{23} & c_{24} & c_{25} & c_{26} \\ c_{31} & c_{32} & c_{33} & c_{34} & c_{35} & c_{36} \\ c_{41} & c_{42} & c_{43} & c_{44} & c_{45} & c_{46} \\ c_{51} & c_{52} & c_{53} & c_{54} & c_{55} & c_{56} \\ c_{61} & c_{62} & c_{63} & c_{64} & c_{65} & c_{66} \end{bmatrix}$$

The forces  $F_i$  have the unit N or kN

The moments  $M_i$  have the unit kNm, or Nm or Nmm

The shifts  $u_i$  have the unit m or mm

The angle  $\varphi_i$  are expressed in radians

The stiffness matrix is symmetric:  $c_{ij} = c_{ji}$

### Example of a stiffness matrix

K6D130 5kN/500Nm

93,8 kN/mm	0,0	0,0	0,0	3750 kN	0,0
0,0	93,8 kN/mm	0,0	-3750 kN	0,0	0,0
0,0	0,0	387,9 kN/mm	0,0	0,0	0,0
0,0	-3750 kN	0,0	505,2 kNm	0,0	0,0
3750 kN	0,0	0,0	0,0	505,2 kNm	0,0
0,0	0,0	0,0	0,0	0,0	343,4 kNm

When loaded with 5kN in x-direction, a shift of  $5 / 93.8 \text{ mm} = 0.053 \text{ mm}$  in the x direction, and a twist of  $5 \text{ kN} / 3750 \text{ kN} = 0.00133 \text{ rad}$  results in the y-direction

When loaded with 15kN in z-direction, a shift of  $15 / 387.9 \text{ mm} = 0.039 \text{ mm}$  in the z direction (and no twist).

When  $M_x$  500 Nm a twisting of  $0,5\text{kNm} / 505,2\text{kNm} = 0.00099 \text{ rad}$  results in the x-axis, and a shift from  $0,5\text{kNm} / -3750 \text{ kN} = -0,000133\text{m} = -0,133\text{mm}$ .

When loaded with  $M_z$  500Nm a twisting results of  $0,5\text{kNm} / 343.4 \text{ kNm} = 0.00146 \text{ rad}$  about the z-axis (and no shift).



## Calibration Matrix for K3R Sensors

The sensors of the type K3R allow the measurement of the force  $F_z$  and the moments  $M_x$  and  $M_y$ .

The sensors K3R may be used for displaying 3 orthogonal forces  $F_x$ ,  $F_y$ , and  $F_z$ , when the measured torques are divided by the lever arm  $z$  (distance of force application  $F_x$ ,  $F_y$  of the origin of the coordinate system).

	ch1	ch2	ch3	ch4
$F_z$ in N / mV/V	100,00	100,00	100,00	100,00
$M_x$ in Nm / mV/V	0,00	-1,30	0,00	1,30
$M_y$ in Nm / mV/V	1,30	0,00	-1,30	0,00
H	0,00	0,00	0,00	0,00

The force in the  $z$  direction is calculated by multiplying and summing the matrix elements of the first row  $A_{1j}$  with the lines of the vector of the output signals  $u_j$

$$F_z = 100 \text{ N/mV/V } u_1 + 100 \text{ N/mV/V } u_2 + 100 \text{ N/mV/V } u_3 + 100 \text{ N/mV/V } u_4$$

Example: on all 6 measurement channels is  $u_1 = u_2 = u_3 = u_4 = 1.00 \text{ mV/V}$  displayed. Then a force  $F_z$  results of 400 N.

The calibration matrix  $A$  of K3R sensor has the dimensions  $4 \times 4$

The vector  $u$  of the output signals of the measuring amplifier has the dimensions  $4 \times 1$

The result vector ( $F_z$ ,  $M_x$ ,  $M_y$ ,  $H$ ) has the dimension of  $4 \times 1$

At the outputs of ch1, ch2 and ch3 after applying the calibration matrix, the force  $F_z$  and the moments  $M_x$  and  $M_y$  are displayed. On the Channel 4 output  $H$  is constantly displayed 0V by the fourth line.

## Commissioning of the sensor

The "GSVmulti" software is used to show the measured forces and moments. The GSVmulti software and related manuals can be downloaded from the website.

Step	Description
1	Install the GSVmulti software
2	Connect the GSV-1A8USB K6D measurement amplifier via the USB port; Connect the K6D sensor with the measurement amplifier. <b>Note: For multipolar plug connectors with seal, the union nut is difficult to move. Alternate pressing the plug connector and tightening the union nut.</b> Switch on the measurement amplifier
3	Copy the folder containing the calibration matrix (supplied CD ROM) to your own PC, in a suitable directory
4	Start up the GSVmulti software



Step	Description
5	Main window: <b>Add Channel</b> button Select device type: GSV-1A8USB Select device: For example Dev41 <b>Connect</b> button
6	Repeat step 5 (5 x) for "Input Number 2, ...Input Number 6"
7	Main window: <b>Special sensor</b> button Select six-axis sensor
8	Window "Six-axis sensor settings: <b>Add sensor</b> button
9	a) <b>Change Dir</b> button – Select directory with the file serial number.dat and serial number.matrix. b) <b>Select Sensor</b> button and select serial number c) Select "GSV-1A8USB with K6D" d) <b>Auto Rename Channels</b> button e) Where applicable, shift the force-exertion point f) <b>OK</b> button
10	"Select Recorder Yt" window, Start measurement;

## Screenshot GSVmulti

ME Multi-axis Sensor
**Sensors**

Add Sensor
Number of Sensors **1**
Number of sensors stored in device **1**

Remove

 Enabled
 

 Calculated by device
 
Sensor displayed **1**

Sensor Mode: Six-axis, 2nd order

Storing location: Z:\...\17101327-2matrizen.dat

Sensor Serial No: 17101327

General
Zero Signals
Matrix
Matrix 2nd Order

**Channel assignment**

ForceX

Component 1: 1: ForceX (50.1)

ForceY

Component 2: 2: ForceY (50.2)

ForceZ

Component 3: 3: ForceZ (50.3)

TorqueX

Component 4: 4: TorqueX (50.4)

TorqueY

Component 5: 5: TorqueY (50.5)

TorqueZ

Component 6: 6: TorqueZ (50.6)

Auto-Rename Channels

**Distance offsets**

X-direction: 0 m

Y-direction: 0 m

Z-direction: 0 m

Unit: Meters

**Maximum Values (read only)**

Force X	2000	N	Torque X	100	Nm
Force Y	2000	N	Torque Y	100	Nm
Force Z	5000	N	Torque Z	100	Nm

OK Enable this sensor

Disable this sensor

Cancel



**ME Multi-axis Sensor**

**Sensors**

Add Sensor      Number of Sensors **1**      Number of sensors stored in device **1**

Remove       Enabled      Sensor displayed  Calculated by device      Sensor displayed **1**

Sensor Mode: Six-axis, 2nd order      Storing location: Z:\... \17101327-2matrizen.dat      Sensor Serial No: 17101327

General    Zero Signals    Matrix    Matrix 2nd Order

**Channel assignment**

ForceX  
Component 1: 1: ForceX (50.1)

ForceY  
Component 2: 2: ForceY (50.2)

ForceZ  
Component 3: 3: ForceZ (50.3)

TorqueX  
Component 4: 4: TorqueX (50.4)

TorqueY  
Component 5: 5: TorqueY (50.5)

TorqueZ  
Component 6: 6: TorqueZ (50.6)

Auto-Rename Channels

**Distance offsets**

X-direction: 0 m      Unit: Meters

Y-direction: 0 m

Z-direction: 0 m

**Maximum Values (read only)**

Force X: 2000 N      Torque X: 100 Nm

Force Y: 2000 N      Torque Y: 100 Nm

Force Z: 5000 N      Torque Z: 100 Nm

OK Enable this sensor      Disable this sensor      Cancel

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### Changelog

Version	Datum	Änderungen
ba-k6d-v1.0.odt	17.08.16	first Version
ba-k6d-v1.1.odt	15.11.17	including Matrix Plus; Scaling Elements from (mV/V) to V;





Subject to modifications.

All details describe our products in a general form.

They are no warranty of characteristics in the sense of § 459, Paragraph 2, of the German Civil Code or similar regulations and effect no liability.